

Answer Set Programming

Reasoning about Actions

Martin Baláž



Department of Applied Informatics
Comenius University in Bratislava

2009/2010

Outline

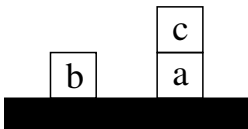
1 Motivation

2 Syntax

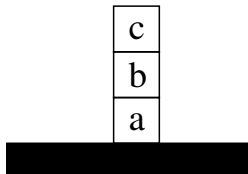
- Language
- Planing Problem
- Macros

Blocks World Example

initial:



goal:



Language \mathcal{K}

fluents: `on(B, L)` requires `block(B)`, `location(L)`.
 `occupied(B)` requires `block(B)`.

actions: `move(B, L)` requires `block(B)`, `location(L)`.

initially: `on(a, table)`. `on(b, table)`. `on(c, a)`.

always: `caused occupied(B)` if `on(B1, B)`, `block(B)`.
 `executable move(B, L)` if `B <> L`.
 `nonexecutable move(B, L)` if `occupied(B)`.
 `nonexecutable move(B, L)` if `occupied(L)`.
 `caused on(B, L)` after `move(B, L)`.
 `caused -on(B, L1)` after `move(B, L)`,
 `on(B, L1)`, `L <> L1`.
 `inertial on(B, L)`.
 `noConcurrency`.

goal: `on(c, b)`, `on(b, a)`, `on(a, table)?` (3)

Background Knowledge

```
block(a).  
block(b).  
block(c).  
location(table).  
location(B) :- block(B).
```

```
$ dlv -FP blocksworld.plan background.dlv
```

```
STATE 0: occupied(a), on(a,table), on(b,table), on(c,a)  
ACTIONS: move(c,table)  
STATE 1: on(a,table), on(b,table), on(c,table), -on(c,a)  
ACTIONS: move(b,a)  
...  
PLAN: move(c,table); move(b,a); move(c,b)
```

Language

Definition (Alphabet)

- action predicate symbols σ^{act}
- fluent predicate symbols σ^{fl}
- type predicate symbols σ^{typ}
- constant symbols σ^{con}
- variable symbols σ^{var}

Language

Definition (Term)

A *term* t is

- a constant $t \in \sigma^{con}$
- a variable $t \in \sigma^{var}$

Definition (Atom and Literal)

An *action* (resp. *fluent*, *type*) is an atom $p(t_1, \dots, t_n)$, where $p \in \sigma^{act}$ (resp. $p \in \sigma^{fl}$, $p \in \sigma^{typ}$) is a predicate symbol with the arity $n \geq 0$, and t_1, \dots, t_n are terms.

An *action* (resp. *fluent*, *type*) *literal* is either an action (resp. fluent, type) or an action (resp. fluent, type) preceded by \neg .

Convention

- a, a_1, \dots, a_n denotes action atoms
- f denotes a fluent literal or *false*
- B denotes b_1, \dots, b_k , not b_{k+1}, \dots , not b_l
where b_1, \dots, b_l are fluent or type literals
- C denotes c_1, \dots, c_m , not c_{m+1}, \dots , not c_n
where c_1, \dots, c_n are action, fluent or type literals

Action and Fluent Declaration

Definition (Action and Fluent Declaration)

An *action* (resp. *fluent*) *declaration* is an expression of the form

$$p(X_1, \dots, X_n) \text{ requires } t_1, \dots, t_m.$$

where $p(X_1, \dots, X_n)$ is an action (resp. fluent), X_1, \dots, X_n are variables, t_1, \dots, t_m are types, and every X_i occurs in t_1, \dots, t_m .

If $m = 0$, the keyword *requires* may be omitted.

Example

`occupied(B) requires location(B).`

`move(B, L) requires block(B), location(L).`

Causation Rule

Definition (Causation Rule)

A *causation rule* is an expression of one of the forms

caused f if B after C .

Rules where C is empty are *static rules*, all others are *dynamic rules*. When B (resp. C) is empty, *if* (resp. *after*) is omitted. When B and C are empty, *caused* is optional.

Example

caused on(B, L) after move(B, L).

caused occupied(B) if on(B1, B), block(B).

Executability Condition

Definition (Executability Condition)

An *executability condition* is an expression of the form

```
executable a if C.
```

When C is empty, `if` is omitted.

Example (Translation)

```
executable a.
```

```
caused  $exec_a$  after C.
```

```
caused false if not  $exec_a$  after a.
```

Initial State Constraint

Definition (Initial State Constraint)

An *initial state constraint* is an expression of the form

`initially caused f if B .`

When B is empty, `if` is omitted and `caused` is optional.

Example

```
initially on(a, table).
```

```
initially on(b, table).
```

```
initially on(c, a).
```

Query

Definition (Query)

A *query* is an expression of the form

$$g_1, \dots, g_m, \text{ not } g_{m+1}, \dots, g_n?$$

where g_1, \dots, g_n are variable free fluent literals,
and $0 \leq m \leq n$, $0 < n$.

Example

$\text{on}(c, b), \text{on}(b, a), \text{on}(a, \text{table})?$

Planning Problem

Definition (Action Description)

An *action description* is a pair $AD = \langle D, R \rangle$ of a finite set D of action and fluent declarations and a finite set R of causation rules, initial state constraints, and executability conditions which do not contain positive cyclic dependencies among actions.

Definition (Planning Domain)

A *planning domain* is a pair $PD = \langle \Pi, AD \rangle$ of a stratified logic program Π and a an action description AD .

Definition (Planning Problem)

A *planning problem* $\mathcal{P} = \langle PD, q \rangle$ is a pair of a planning domain PD and a query q .

Inertia

Definition (Inertia)

An *inertia rule* is an expression of the form

`inertial f if B after C .`

When B (resp. C) is empty, `if` (resp. `after`) is omitted.

Example (Translation)

`caused f if not $\neg f$, B after f , C .`

Default

Definition (Default)

A *default rule* is an expression of the form

```
default f.
```

Example (Translation)

```
caused f if not  $\neg f$ .
```


Totality

Definition (Totality)

A *totality rule* is an expression of the form

`total f if B after C .`

When B (resp. C) is empty, `if` (resp. `after`) is omitted.

Example (Translation)

`caused f if not $\neg f$, B after f , C .`

`caused $\neg f$ if not f , B after $\neg f$, C .`

Integrity Constraint

Definition (Integrity Constraint)

An *integrity constraint* is an expression of the form

forbidden B after C .

When C is empty, after is omitted.

Example (Translation)

caused false if B after C .

Non Executability Condition

Definition (Non Executability Condition)

A *non-executability condition* is an expression of the form

`nonexecutable a if B.`

If *B* is empty, *if* is omitted.

In case of conflicts, *nonexecutable* overrides *executable*.

Example (Translation)

`caused false after a, B.`

Concurrent Actions

By default, actions can be executed in parallel. For execution at most one action per step, we have to use the keyword `noConcurrency`.

Example (Translation)

caused false after a_1 , a_2 .

where $a_1 \neq a_2$.